

Frequency Assignment in cellular networks



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Agenda

Problem statement


Graph coloring

Solution to the problem

Explanation

Problem Statement

- High Demand for Cellular Mobile Services.
- Has already reached its Capacity Threshold.
- Different techniques can be used to increase the capacity. (give examples)
- Best solution : Frequency Reuse.

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- Frequency assignment is an important problem in the operation of the mobile networks.
 - So, I propose a solution using Graph Coloring Method.
 - The solution is to assign a frequency for every call from the mobile device.



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Graph Coloring

Graph coloring is an assignment of colors to the elements of a graph.

- Graph coloring is composed of three types :-
 - Vertex coloring
 - Edge coloring
 - Region coloring



Vertex Coloring:

DEFINITION: The vertex coloring of a graph is coloring of the vertices such that no 2 adjacent sides receive same color.

USES:

- Model many scheduling problems
- Optimal assignments of channels to radio stations and spectrum frequencies to mobile operations

OBJECTIVE:

- Find the minimum number of colors needed to color the vertices of a graph as possible.
- This minimum number to color the vertices of a graph is known as **Chromatic number**.

Edge coloring:

- The edge coloring is to color the edges of a given graph with fewest colors such that no two edges incident to a common vertex are assigned with the same color.
- The problem finds application in assigning class room to course and in scheduling problems.
- The minimum number of colors needed to color a graph is known as chromatic index.



Region Coloring:

- Region coloring is generally used to color a map.
- The graph has a vertex for each region of the map and an edge connecting two vertices if and only if the regions share a common boundary.
- Region coloring is done in a way that no two regions sharing a common boundary are assigned with same color.



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Explanaion



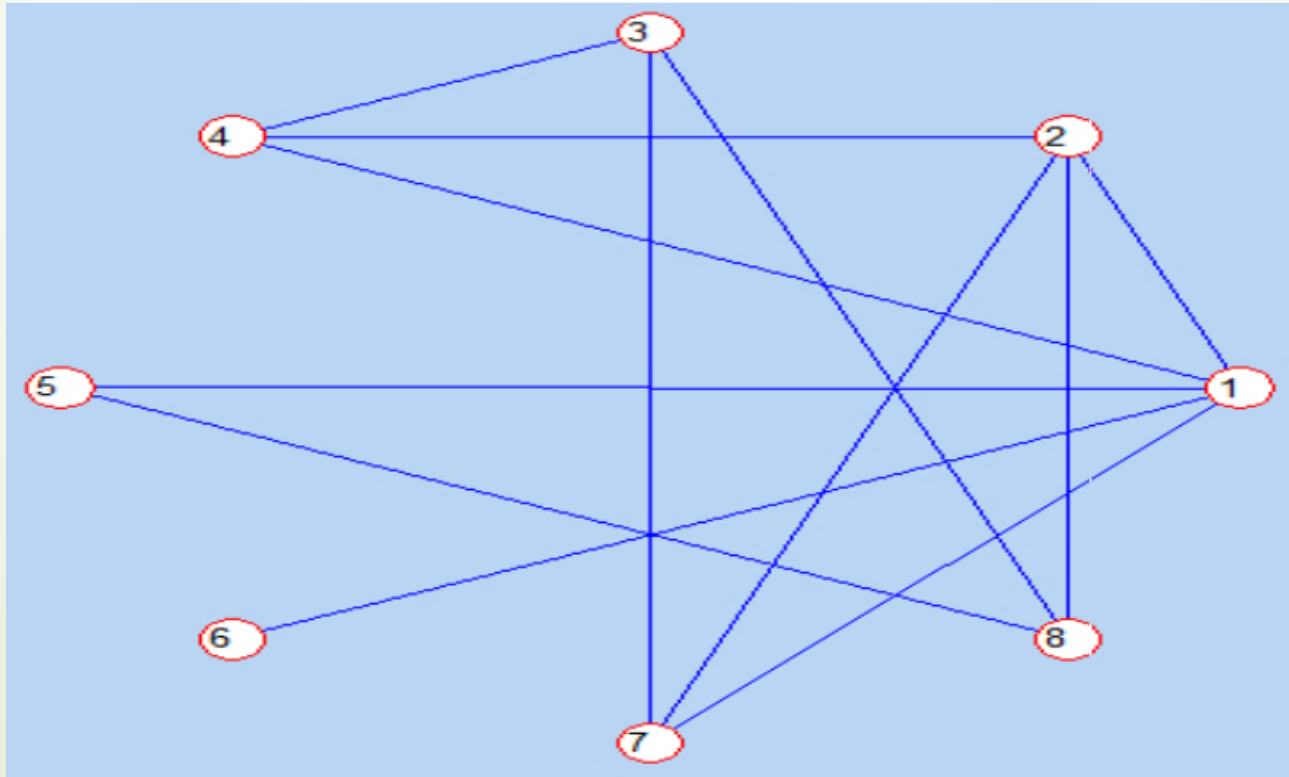
Solution to the problem

- The problem is now divided into three sub problems :-
 - Graph Creation
 - Graph Coloring

Solution to the problem

Graph Creation

- The Graph $G = (V, E)$ where V represents non-empty sets of vertices and E represents non-empty set of edges which shows relationship among vertices.



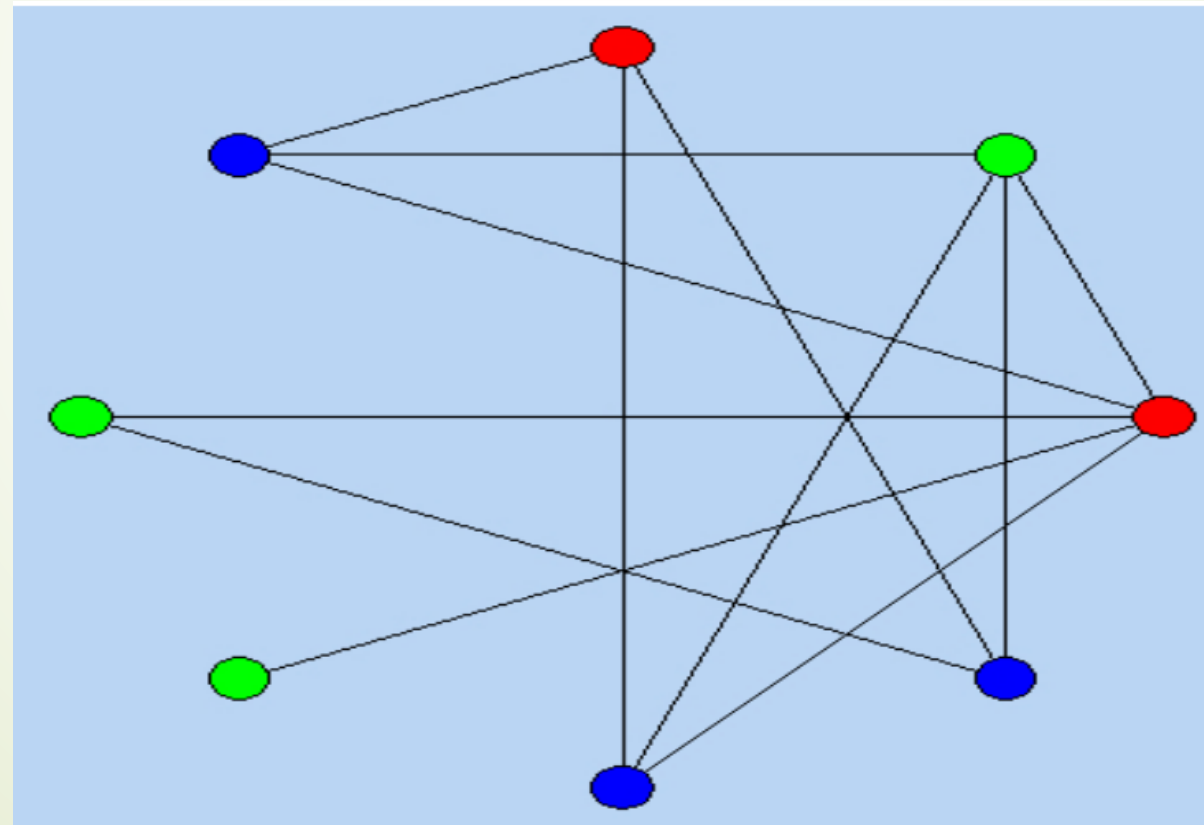
Solution to the problem

Graph Creation

- The Graph which has to be colored is represented with 8 vertices
- The graph G which is a collection of vertices and edges, where $V = \{1, 2, 3, 4, 5, 6, 7, 8\}$ and $E = \{(1,2), (1,4), (1,6), (1,7), (2,1), (2,4), (2,7), (2,8), (3,4), (3,7), (3,8), (4,1), (4,2), (4,3), (5,1), (5,8), (6,1), (7,3), (7,2), (7,1), (8,5), (8,3), (8,2)\}$.

Solution to the problem

- Here is the graph with coloring





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Graph Coloring

Solution to the problem

Explanation



Explanation

- From the above graph ,consider the frequencies allocating to network users as colors.
- The minimum number of colors i.e., the communication between users is obtained by using minimum number of frequencies.
- The nodes of a cellular graph connected with an edge must be assigned different colors i.e., users located close to each other.



By this our Agenda gets completed.

THANK YOU





Questions???