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## Exam #1

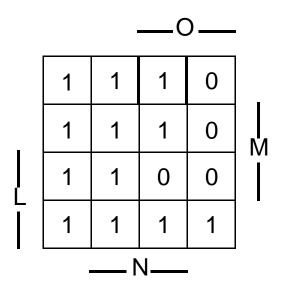
CompOrg

## Monday 21 September 1998

- 1. For each of the following statements, write the word "true" below the statement if it is true, and "false" below the statement if it is false. (5 points each = 20 points)
  - a. Mechanical adding machines usually have more significant digits than slide rules.
  - b. Mechanical adding machines can use logarithms to multiply and divide.
  - c. Early computers were used to compute artillery tables during World War II.
  - d. Before becoming president of IBM, Thomas Watson was a highly successful stockbroker.

2. Give the truth table for a combinational circuit that takes a two-bit input labeled  $A_1A_0$  and a two-bit input labeled  $B_1B_0$  and produces a one-bit output C that is true (1) if the value  $A_1A_0$  is numerically *greater than* the value  $B_1B_0$  and is false (0) otherwise. (15 points)

3. Given the Karnaugh Map below, draw the appropriate ovals on the map, and write the simplified two-level sum-of-products expression to the right of the map. (20 points)



4. Draw the combinational circuit that *directly* corresponds to the Boolean equation  $z = (b \oplus c') + (ab)'(a'+c)'$  in the space below. (20 points)

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- 5. Perform the following conversions, showing your work. (5 points each = 15 points)
  - a.  $29_{10}$  to base 2

b.  $1100010101_2$  to base 8

c.  $15A_{16}$  to base 10

- 6. This question explores the difference between different types of encoding. (5 points each = 10 points)
  - a. Does it require more or less bits to store "23" as a ASCII character string than as a number? Explain your answer.

b. What is the basic idea behind Huffman encoding? (Note — I'm not asking for the entire algorithm or a detailed example, just the basic idea.)