Benchmarking CPU Performance

- · Many benchmarks available
- MHz (cycle speed of processor)
- · MIPS (million instructions per second)
- Peak FLOPS
- Whetstone
 - Stresses unoptimized scalar performance, since it is designed to defeat any effort to find concurrency.
 - Popular way to estimate MIPSMFLOPS (million floating point operations per second)

DISCOV KENT STATE 12 January 2004 Paul A. Farrell Cluster Computing 1

Benchmarking CPU Performance

- NAS parallel benchmark (NPB) collection of parallel computational fluids programs
- · STREAM, peak memory bandwidth
 - small collection of very simple loop operations
 - tries to estimate the total rate at which all addressable memory spaces can deliver data to respective processors
- Fhourstones, Dhrystone, nsieve, heapsort, Hanoi, queens, flops, fft, mm
 - assorted integer and floating-point benchmarks for small problems

DISCOV KENT STATE 12 January 2004 Paul A. Farrell Cluster Computing 3

Benchmarking CPU Performance

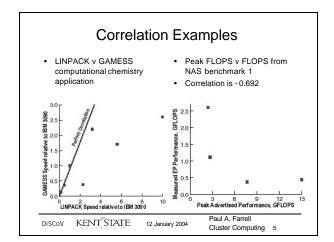
- SPEC benchmarks (SPECint, SPECfloat, SPECmark)
 - Maintained by a consortium of workstation vendors
 - Frequently-changing collection of programs one might run on a workstation, plus kernels like matrix multiplication
 - It is virtually impossible to track SPEC performance from one year to the next since the definition of the problem set is always changing
- LINPACK dense linear solver with partial pivoting
 - 100x100, 1000x1000 or larger

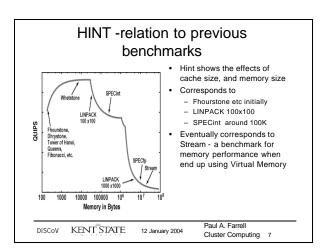
DISCOV KENT STATE. 12 January 2004 Paul A. Farrell Cluster Computing 2

Problems with Benchmarks

- Benchmark performance does not necessarily correlate with application performance
- Performance on two benchmarks may not correlate
- Benchmarks problems tend to be small, easily portable and easy to explain
- As speed increases the benchmarks run too quickly and must be redefined
- Benchmarks tend to measure performance for a particular size of problem

DISCOV KENT STATE 12 January 2004 Paul A. Farrell Cluster Computing 4





HINT - an attempted synthesis

- HINT benchmark created in 1995 at Ames DOE Laboratory by John L. Gustafson and Quinn Snell
- Problem with previous benchmarks tended to emphasize one part of performance curve
- HINT Hierarchical INTegration tries to produce curve rather than number
- Aim: to provide a scalable benchmark that reflects the type of work done in iterative refinement

DISCOV KENT STATE 12 January 2004 Paul A. Farrell Cluster Computing 6

HINT

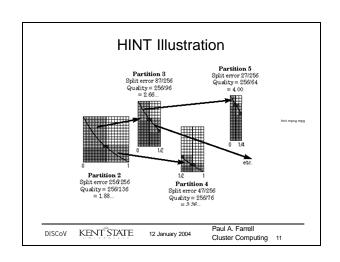
- · Infinitely scalable
- Speed defined by quality improvement per second (QUIPS). "Quality" is the reciprocal of the error, which combines precision loss and discretization error.
- The problem can be run with any data type: floating point (any precision), integer (any precision), extended-precision arithmetic, etc
- HINT provides a graph of performance, it also has a "single number" measure (the area under the graph) that summarizes performance
- As the size of the HINT task grows, the memory access pattern becomes more complicated in a way that defeats caches.

DISCOV KENT STATE 12 January 2004 Paul A. Farrell Cluster Computing 8

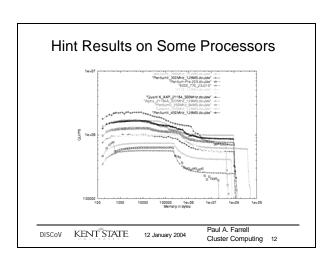
Hint Algorithm

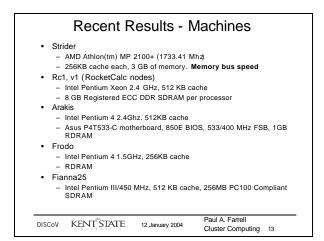
- Use interval subdivision to find rational bounds on the area in the xy plane for which x ranges from 0 to 1 and y ranges from 0 to (1 - x) / (1+ x).
- Subdivide x and y ranges into 2^k equal subintervals and count the squares thus defined that are completely inside the area (lower bound) or completely contain the area (upper bound).
- The function (1-x) / (1+x) is monotone decreasing, so the upper bound comes from the left function value and the lower bound from the right function value on any subinterval.
- No other knowledge about the function may be used.

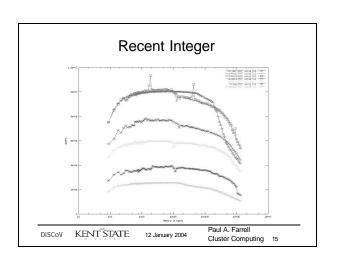
DISCOV KENT STATE 12 January 2004 Paul A. Farrell Cluster Computing 9

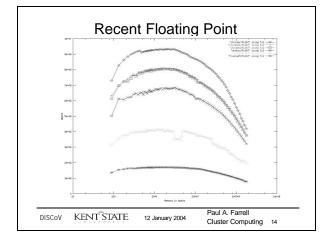


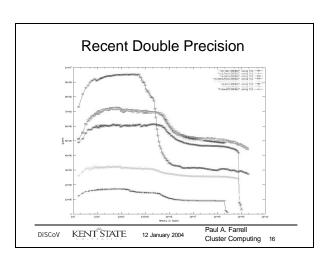
HINT - first subdivision • Bounds after subdivision into two intervals • Upper left and lower right contain 87 and 47 squares • 87-square region should be subdivided • 47-square error will then move to the front of the queue of subintervals to be split | Known to contribute to lower bound | Linded by an ithmetic precision | A wallable for further refinement | Rnown not to contribute to upper bound | | Biscov | Kent State | 12 January 2004 | Paul A. Farrell | Cluster Computing | 10











References

- http://discov.cs.kent.edu/resources/perf/hint/Publications
- http://discov.cs.kent.edu/resources/perf/hint/

DISCOV KENT STATE

12 January 2004

Paul A. Farrell Cluster Computing 17