

In this problem, we consider traversing a rectangular maze with walls that prohibit passage, and seek to find the shortest distance from a given starting cell to all other cells. Technically, a maze is a rectangular grid of *cells*, each of which may or may not contain a blocking wall. When traversing a maze, one starts at a given cell (without a wall) and makes successive horizontal or vertical steps to adjacent cells without walls. One is not allowed to make a diagonal step, even if a diagonally adjacent cell contains no wall. The presence of walls might make it impossible to reach some cells from the starting cell, in which case they're considered to be infinitely distant.

Input Format

The input contains one or more mazes, each described by some successive lines of input. The first line of a maze contains two positive integers r and c describing the number of rows and columns in the cell grid. The next r lines each contain c characters from the alphabet {' ', 'W', 'S'}. ' ' represents a cell without a wall, 'W' represents a cell containing a wall, and 'S' represents the starting cell (without a wall). There is exactly one starting cell in a maze.

Output Format

For each maze in the input, output the maze to show the cells with walls labeled by 'WWWWW' and the cells without walls labeled by the least number of steps to traverse there from the starting cell. Widen each input cell to five output columns wide, outputting 'WWWWW' for each 'W' input, and up to a 3-digit number (or inf representing ∞) with a blank on either side for each ' ' or 'S' input.

Input Sample

Output Sample

6 7
WWWWW W
W WW
 WS WW
W W WW
 W
WWWWW

WWWWW inf WWWWW
WWWWW 9 10 WWWWWW inf inf
 9 8 WWWWW 0 1 WWWWWW
WWWWW 7 6 WWWWW 2 WWWWWW
 7 6 5 4 3 4 WWWWW
WWWWW

8 12
WWWWW
W W S W
W W WWW W W
W W W W
W WWWWWW W
W W W
W W WW W
WWWWW

WWWWW
WWWWW 13 12 11 WWWWW 1 0 1 2 WWWWW 30 31
WWWWW 14 WWWWW 10 9 WWWWWW 3 WWWWW 29 WWWWW
WWWWW 15 WWWWW 9 8 7 6 5 4 WWWWW 28 WWWWW
WWWWW 16 WWWWWW 27 WWWWW
WWWWW 17 18 19 20 21 22 23 24 25 26 WWWWW
WWWWW 18 19 WWWWW 21 22 23 24 WWWWWW 27 WWWWW
WWWWW